
COEN 6521 VLSI Testing: SCOAP

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Note

- ❑ Some material used in these slides based on Bushnell and Agrawal, “Essentials of Electronic Testing

Why and When to Simulate

- ❑ Simulations used on different levels of design process to check correctness of up-to-date product
 - Design verification/validation
 - ◆ Still most popular way of functional circuit verification at different levels of design refinement
 - ◆ Predominantly used in timing analysis
 - Testing
 - ◆ Major approach used in almost all testing techniques

SCOAP Controllability and Observability

- ❑ Goldstein introducing controllability and observability measures to signal propagation through combinational and sequential block (SCOAP)
- ❑ SCOAP measurements on each line
 - Combinational 0-controllability, CC0(l)
 - Combinational 1-controllability, CC1(l)
 - Combinational observability, CO (l)
 - Sequential 0-controllability, SC0(l)
 - Sequential 1-controllability, SC1(l)
 - Sequential observability, SO(l)

SCOAP Measurements

- ❑ Combinational measures related to number of signals to be manipulated to control or observe l
- ❑ Sequential measures indicating number of clock cycles needed to control or observe signals on line l
- ❑ Controlability ranging from 1 to ∞
- ❑ Observability ranging from 0 to ∞
 - High measures indicating difficulties with controlling or observing given line

Combinational SCOAP Measures

- Controlability

- ❑ Step 1: For all primary inputs set all $CC0 = 1$ and all $CC1 = 1$
- ❑ Step 2: Traverse in level order through circuit towards primary outputs updating controlability measures
 - Level of logic gate: max distance of its logic inputs from PIs

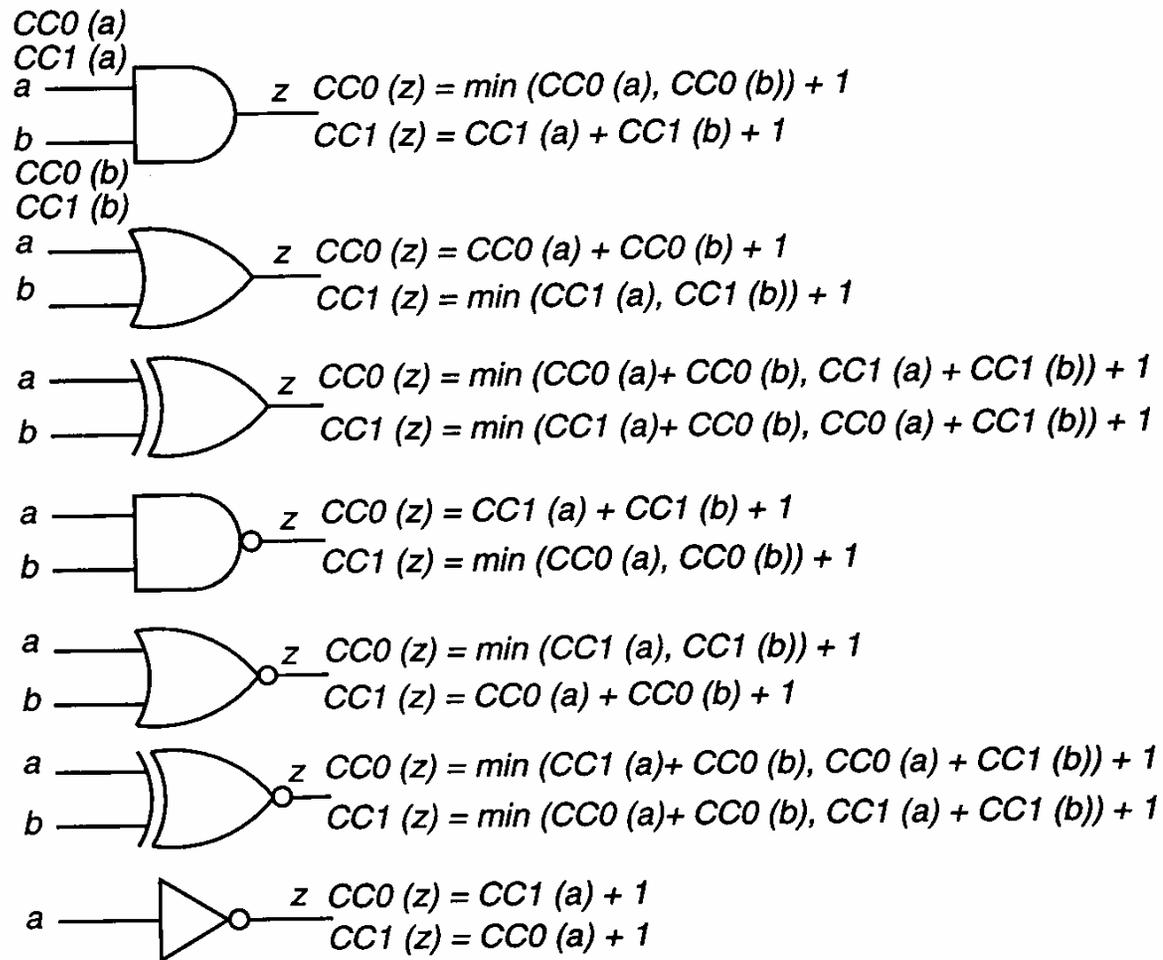
Combinational SCOAP Measures

– Controlability, cont.

- Step 3: For each traversed logic gate add 1 to CC
 - If logic output produced by setting only one input to controlling value then
output controllability = $\min(\text{input controllability})+1$
 - If logic output only obtained by setting all inputs to non-controlling values then
output controllability = $\text{sum}(\text{input controllabilities})+1$
 - If possible to control output by multiple input sets (XOR: “01” or “10” cause output 1) then
output controllability = $\min(\text{controllabilities of input sets})+1$

Combinational SCOAP Measures

– Controlability, cont.1



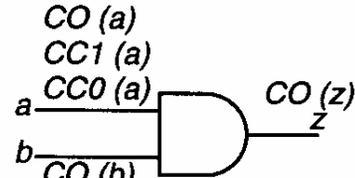
SCOAP Observability Measures

- Observability measures determined after controllability ones
 - For logic gates difficulty of observing input setup equaling observability of output + difficulty in setting all inputs to non-controlling values + 1 to accommodate for logic depth
 - No distinction between 0 and 1 observability: output observabilites of all primary outputs $CO = 0$

SCOAP Observability Measures, cont.

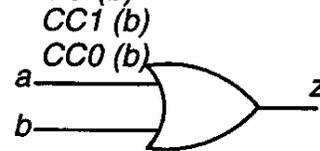
$$CO(a) = CO(z) + CC1(b) + 1$$

$$CO(b) = CO(z) + CC1(a) + 1$$



$$CO(a) = CO(z) + CC0(b) + 1$$

$$CO(b) = CO(z) + CC0(a) + 1$$



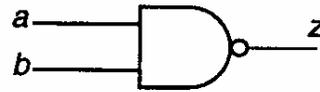
$$CO(a) = CO(z) + \min(CC0(b), CC1(b)) + 1$$

$$CO(b) = CO(z) + \min(CC0(a), CC1(a)) + 1$$



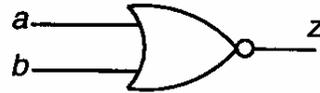
$$CO(a) = CO(z) + CC1(b) + 1$$

$$CO(b) = CO(z) + CC1(a) + 1$$



$$CO(a) = CO(z) + CC0(b) + 1$$

$$CO(b) = CO(z) + CC0(a) + 1$$

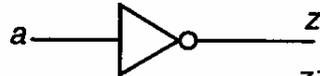


$$CO(a) = CO(z) + \min(CC0(b), CC1(b)) + 1$$

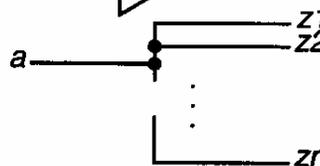
$$CO(b) = CO(z) + \min(CC0(a), CC1(a)) + 1$$



$$CO(a) = CO(z) + 1$$



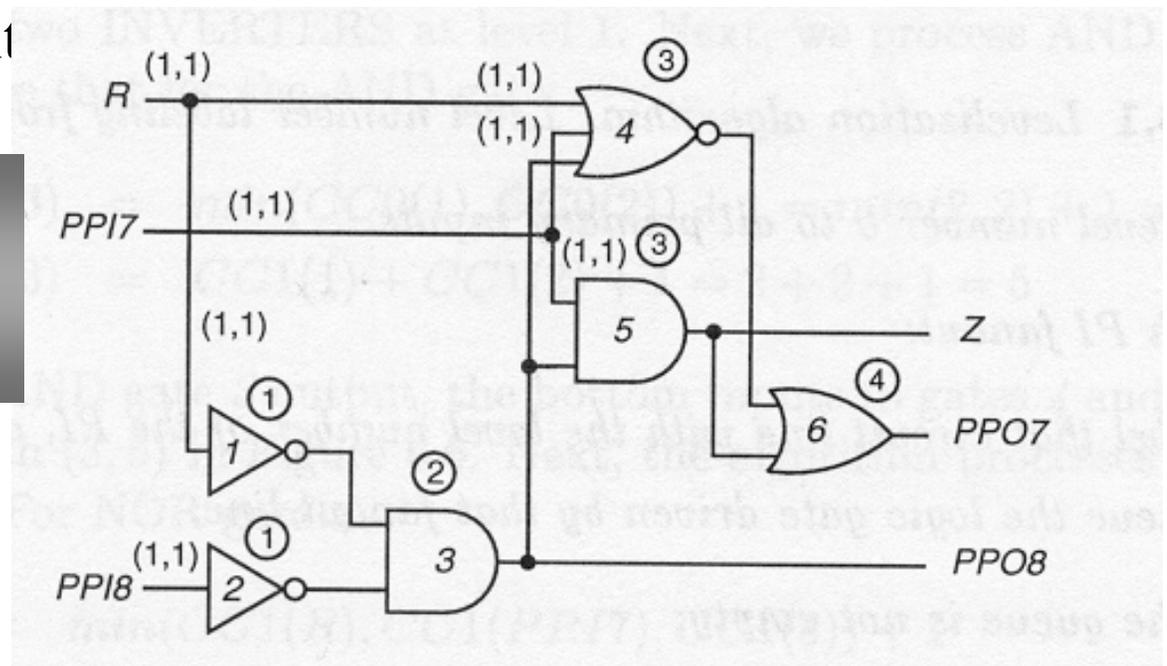
$$CO(a) = \min(CO(z1), CO(z2), \dots, CO(zn))$$



Example: SCOAP

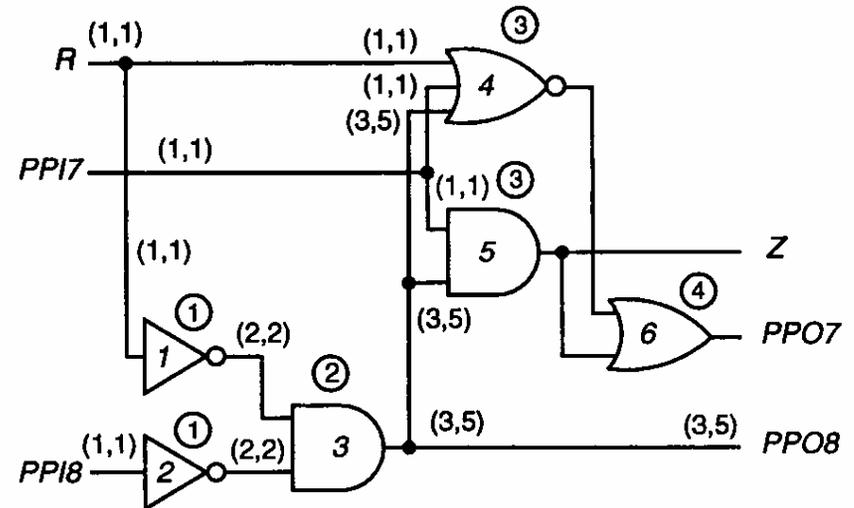
- ❑ Step 1: Label gates in level order
- ❑ Step 2: Label each fan-out as 1 (each fan-in is labeled as 0)
- ❑ Step 3: Label gate output with max level number of its fan-ins + 1

*Outputs of Inv1 and Inv2
Labeled with
input level number + 1 = 1*



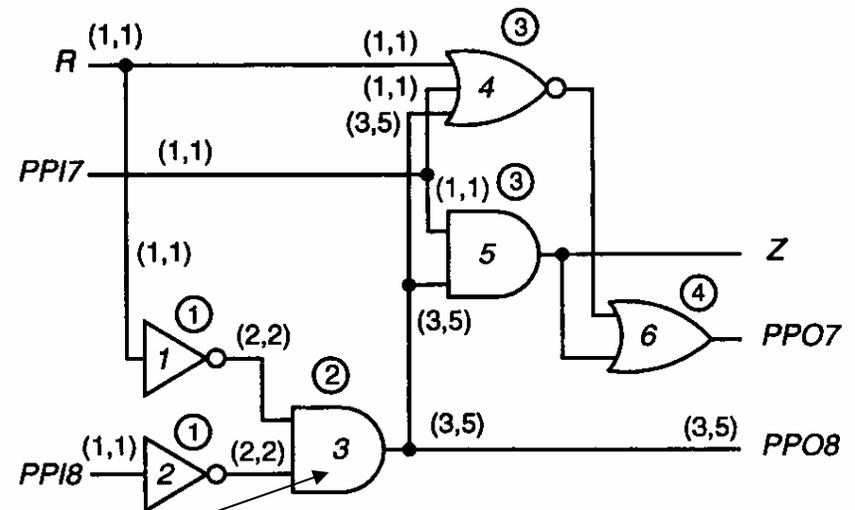
Example: SCOAP, cont.

- Assign (1,1) to all Pis: R, PPI7, PPI8
 - Propagate labeling to all fanouts of above signals
- Labeling internal lines
 - Inverters: $CC1(\text{output}) = CC0(\text{input}) + 1$ and v.v.
 - ◆ Outputs of inverters labeled (2,2)



Example: SCOAP, cont. 1

- Each logic gate processed in order imposed by level number



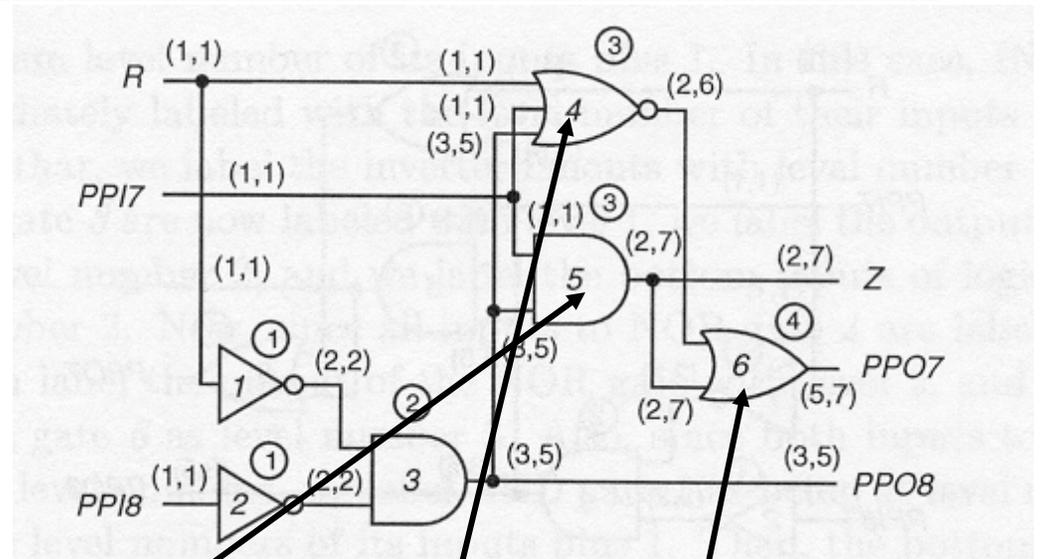
$$CC0(3) = \min(CC0(1), CC0(2)) + 1 = \min(2, 2) + 1 = 3$$

$$CC1(3) = CC1(1) + CC1(2) + 1 = 2 + 2 + 1 = 5$$

$$\begin{aligned} CC0(4) &= \min(CC1(R), CC1(PPI7), CC1(3)) + 1 \\ &= \min(1, 1, 5) + 1 = 2 \end{aligned}$$

$$CC1(4) = CC0(R) + CC0(PPI7) + CC0(3) + 1 = 1 + 1 + 3 + 1 = 6$$

Example: SCOAP, cont. 2



$$CC0(4) = \min(CC1(R), CC1(PPI7), CC1(3)) + 1$$

$$= \min(1, 1, 5) + 1 = 2$$

$$CC1(4) = CC0(R) + CC0(PPI7) + CC0(3) + 1 = 1 + 1 + 3 + 1 = 6$$

$$CC0(5) = \min(CC0(PPI7), CC0(3)) + 1 = \min(1, 3) + 1 = 2$$

$$CC1(5) = CC1(PPI7) + CC1(3) + 1 = 1 + 5 + 1 = 7$$

$$CC0(6) = CC0(4) + CC0(5) + 1 = 2 + 2 + 1 = 5$$

$$CC1(6) = \min(CC1(4) + CC1(5)) + 1 = \min(6, 7) + 1 = 7$$

Example: SCOAP, cont. 3

- Calculation of observability measures
 - From Pos backward
- Gates 3 and 5 cannot be assigned CO yet, gate 6 needs to be processed first

